



















T1 contrasted side-view of my knee





BUILDING A MACHINE FROM SIGNAL TO IMAGE

[5] FOURIER TRANSFORM

$$F^{(2)}[I](X,Y) \propto n\left(\frac{X-\gamma B_0}{\gamma b_x}, \frac{Y}{\gamma b_y}\right)$$

Using $X = \gamma(b_x x + B_0)$ and $Y = \gamma b_y y$: $\mathcal{F}^{(2)}[I]\big(\gamma(b_xx+B_0),\gamma b_yy\big) \propto n(x,y)$

This is an MRI cross-section image!



IMPLICATIONS FOR DIAGNOSTIC MEDICINE

[1] TRANSFORMATION OF DIAGNOSTIC MEDICINE

- Precisely target malignant tumors
- Locate target for heart stents
- Makes operations more targeted

[2] COMPARISON TO PRIOR METHODS

- Louder, takes longer, no metal implants
- Can image soft tissue with detail
- No harmful radiation (track pregnancy)
 - Compared to barbaric X-rays and CAT scans
- MRI per capita measures national healthcare

[3] FUTURE DEVELOPMENTS

- Larger bores for bariatrics and claustrophobia
- Cheaper refrigeration
- Smaller/lighter/cheaper machines
- Live radiotherapy & fMRI
- AI to diagnose conditions













INDUCED CURRENT FROM MAGNETISED SAMPLE $emf = -\frac{d}{dt} \int \vec{B} \cdot d\vec{s}$ Substitute it all in, integrate by parts
and we get: $\vec{B} = \vec{\nabla} \times \vec{A}$ with: $emf(t) = -\frac{d}{dt} \int \vec{B}^r(\vec{r}) \cdot \vec{M}(\vec{r},t) d^3\vec{r}$ $\vec{A}(\vec{r}) = \frac{\mu_0}{4\pi} \int \frac{\vec{J}(\vec{r}')}{|\vec{r} - \vec{r}'|} d^3\vec{r}'$ where $\vec{B}^r(\vec{r})$ is the magnetic field
that would be produced at position \vec{r} ,
per unit current, were the coil being
used to create a B-field.We also have:
 $J(\vec{r},t) = \vec{\nabla} \times \vec{M}(\vec{r},t)$ The integral is taken over the sample.